

The goal of this first practice set is to get acquainted with **composer** (graphical interface) in the IBM Q experience. Register yourself with your email and generate an API token.

You are asked to : (i) first solve with pencil and paper, (ii) think carefully about your implementation on the composer, (iii) use the **simulate** button to reproduce pencil and paper results, (iv) use the **run** button to obtain an experimental (noisy) result.

**Those that already have some familiarity can directly go to exercise 2-c-d.**

**Exercise 1** *Single qubit manipulations (use a five qubit machine with small current queue. Typically you can take 1024 shots, but you may also play around by varying this number)*

- (a) Consider the following elementary single qubit operations :  $|\text{output}\rangle = X|0\rangle$ ,  $|\text{output}\rangle = H|0\rangle$ , followed by a measurement operation in the computational basis. "simulate" and "run" and compare the histograms.
- (b) Consider the operations :  $|\text{output}\rangle = XX|0\rangle$ ,  $|\text{output}\rangle = HH|0\rangle$ ,  $|\text{output}\rangle = XXXX|0\rangle$ ,  $|\text{output}\rangle = XXXXX|0\rangle$  followed by a measurement operation in the computational basis. "simulate" and "run" and compare the histograms.
- (c) Consider the "Mach-Zehnder interferometer" operations :  $|\text{output}\rangle = HXH|0\rangle$  followed by a measurement in the computational basis. "simulate" and "run" and compare histograms. Same questions with double and triple interferometers.

**Exercise 2** *Two qubit manipulations (typically use five qubit machines with small queues and 1024 shots)*

- (a) For the 5 qubit devices the CNOT gates are denoted  $CX_{i-j}$  where  $i$  is the control and  $j$  the target bit. Get familiar with the CNOT gates : choose two connected qubits and apply the  $CX_{i-j}$  gate. Simulate and run and compare histograms.
- (b) Think of a small circuit involving  $H$  and a  $CX_{i-j}$  gate to realize a CNOT where  $i$  is the *control* and  $j$  the *target* bit. First find such a circuit with pencil and paper. Then, simulate, run, compare histograms.
- (c) Choose your two favorite qubits  $i$  and  $j$  that *are connected* by an edge and realize the Bell state  $\frac{1}{\sqrt{2}}(|0\rangle \otimes |0\rangle + |1\rangle \otimes |1\rangle)$  using the gates  $H$  and  $CX_{i-j}$ . Observe the histograms when you simulate and run.
- (d) Now try to entangle two qubits (i.e., create a Bell pair) which are *not directly connected* by an edge. You may choose two qubits separated by one qubit or two qubits that are more distant (separated by more than one qubit). You should first think carefully of a circuit design with pencil and paper. Then, simulate, run, produce histograms. Compare the quality of such Bell pairs with those in (b).