

# Seminar of Probability and Stochastic Process

Tuesday, 7th, December, from 10h15 to 11h30  
[MAA 110](#), EPFL, Ecublens

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**EPFL**

## **Subdiffusive scaling limit of the random walk among random traps**

### **Abstract:**

To every  $x$  in  $\mathbb{Z}^d$ , we associate a positive real number  $\tau_x$ . We consider a random walk on  $\mathbb{Z}^d$ , often called "Bouchaud's trap model", that is reversible for the measure with weights  $(\tau_x)$ . We assume that the  $(\tau_x)$  are i.i.d. random variables. When these random variables are not integrable, the walk is "trapped" on sites where  $\tau_x$  is very large. In this case, for  $d > 2$ , Barlow and Cerny (2010) proved that the random walk converges in law, after a subdiffusive scaling. Their proof is based on a coarse graining procedure, and require very delicate estimates on the transition probabilities. For  $d > 4$ , I will present an alternative proof of this result, based on the mixing properties of the environment viewed by the particle.

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