# Intrinsic alignments (and nonlinear modeling) in multi-probe analyses

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Swiss Euclid Days February 2020

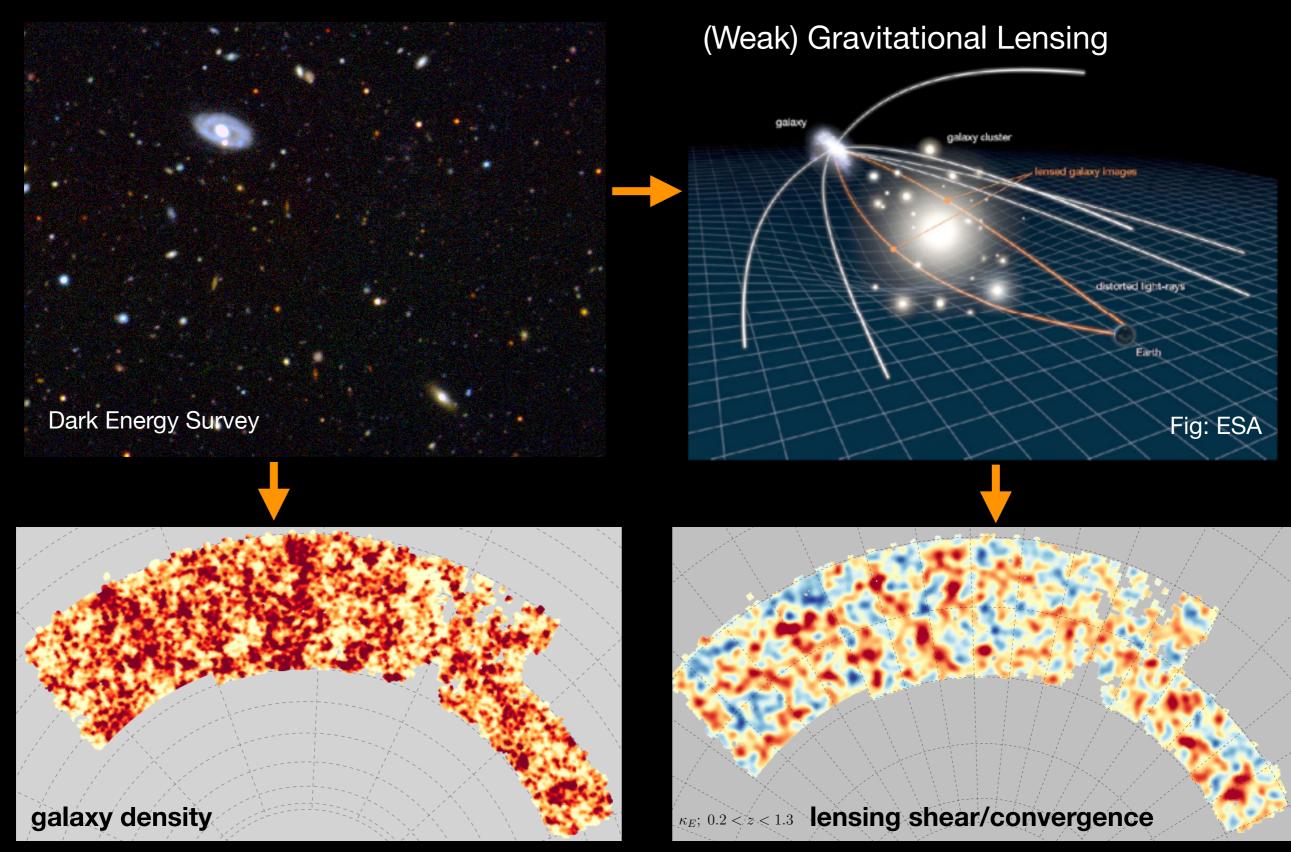
#### Outline

- Galaxy observables and intrinsic alignments
- Effective perturbative models
- Implementations for Euclid and other future surveys

#### In collaboration with:

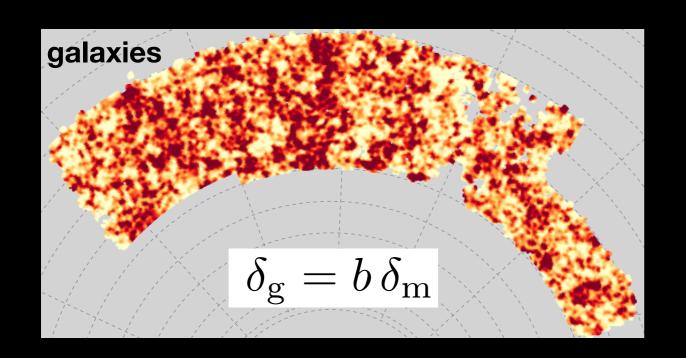
**Euclid:** Weak Lensing SWG (IA), IST:Nonlinear **DES, LSST-DESC** 

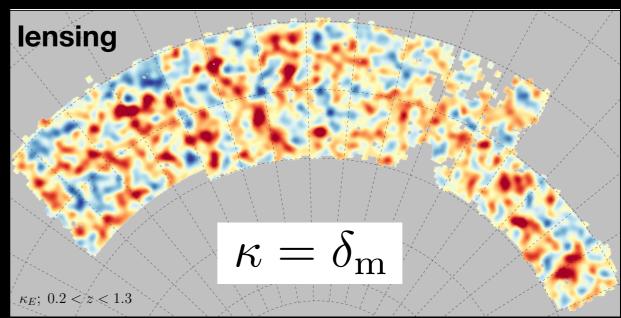
# Galaxy observables

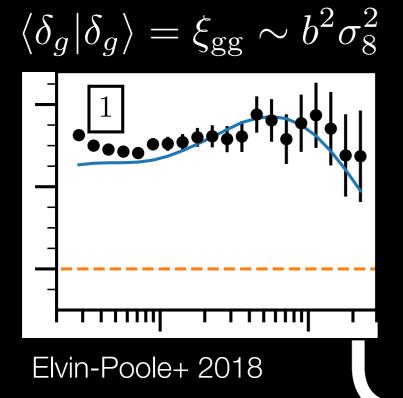


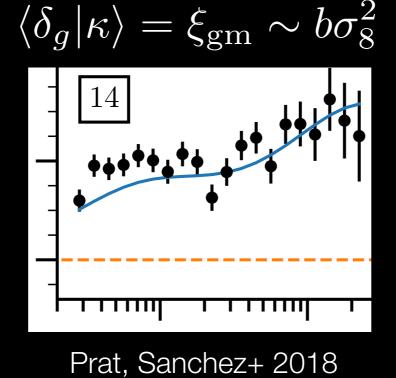
DES Year 1: Elvin-Poole+ 2018; Chang+ 2018

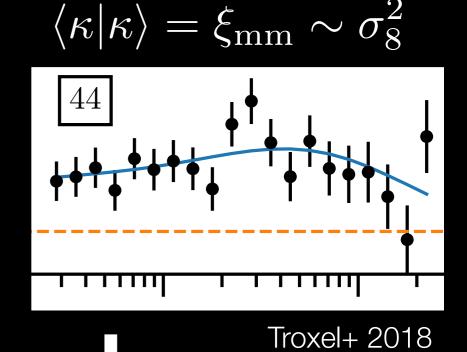
### Combining probes







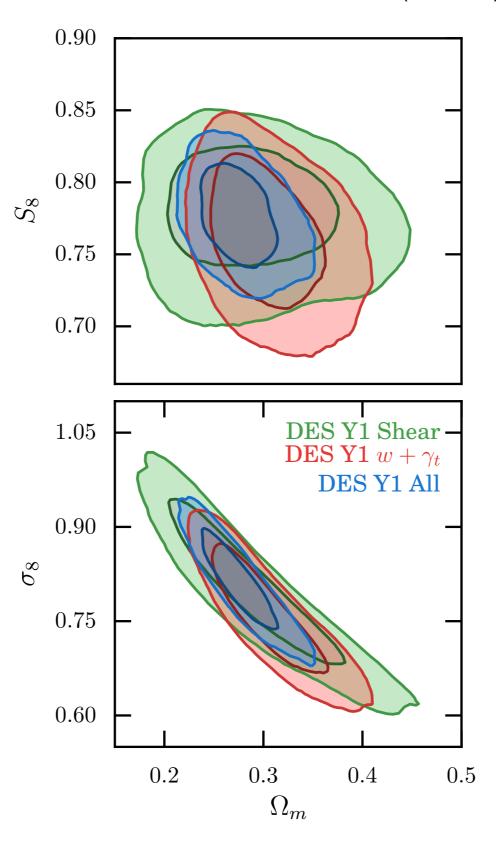




"3x2 analysis"

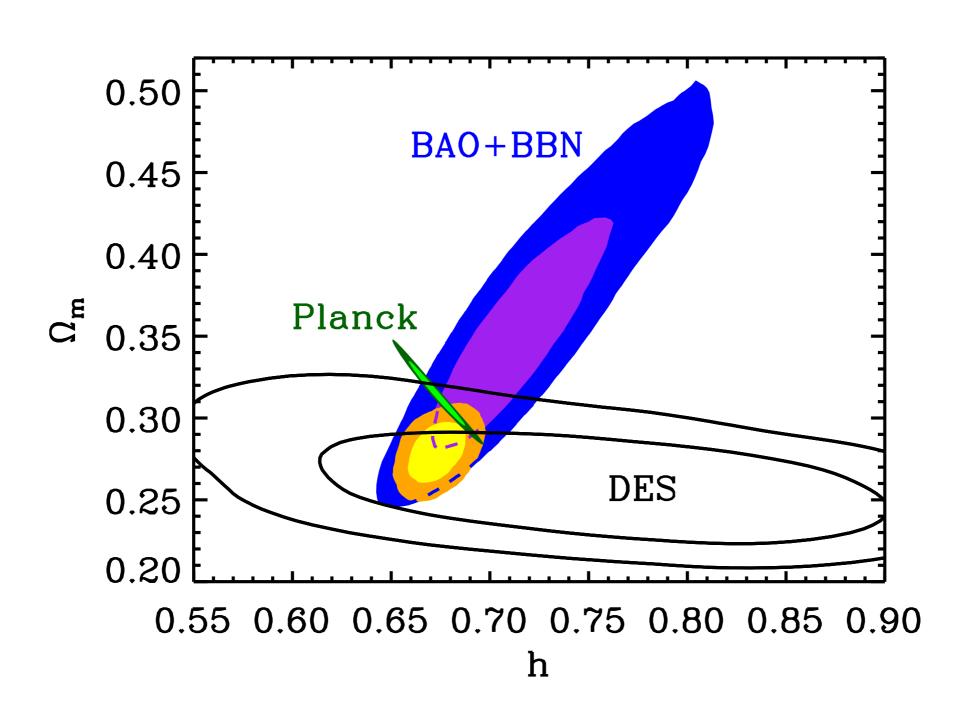
#### DES Y1 Combined Probes

DES Collaboration 2018 (Year 1)

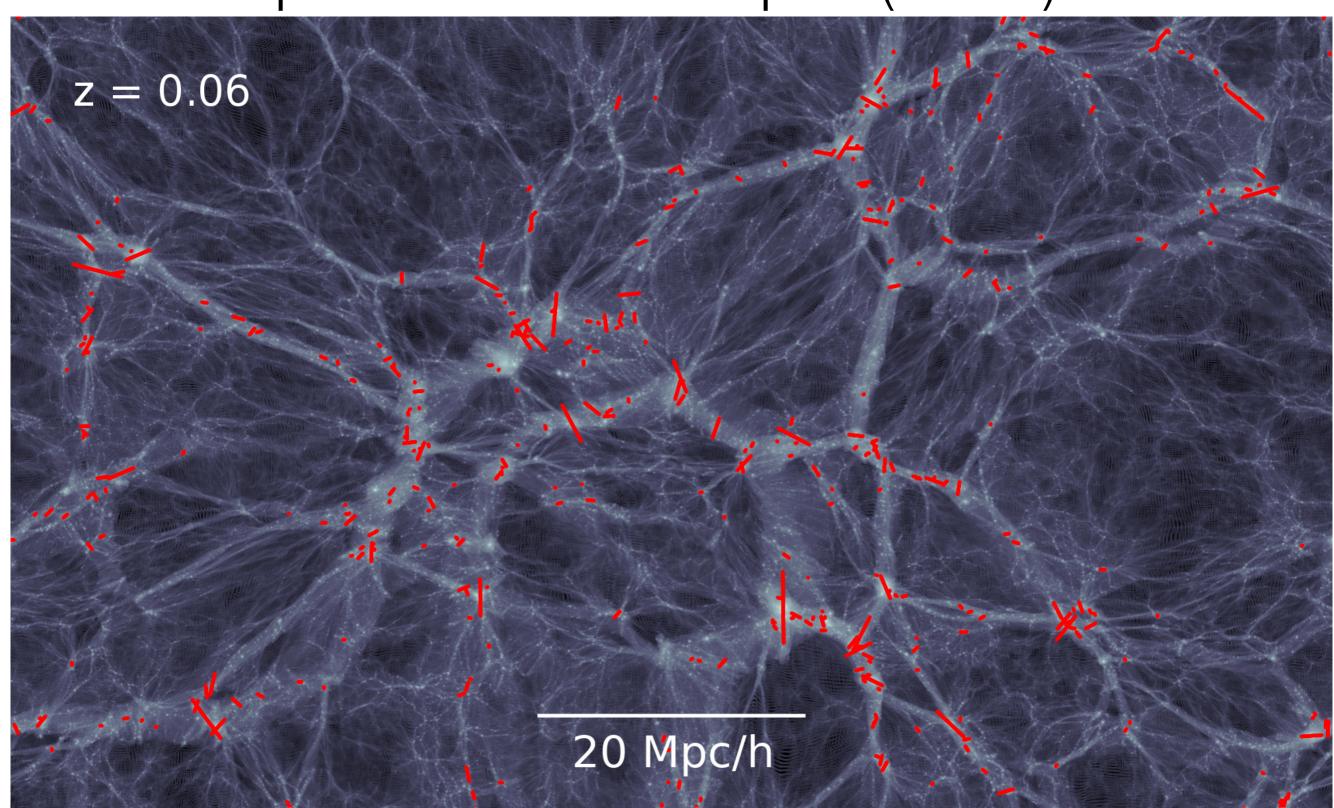


#### DES Y1 Combined Probes

DES Collaboration 2018 (Year 1)

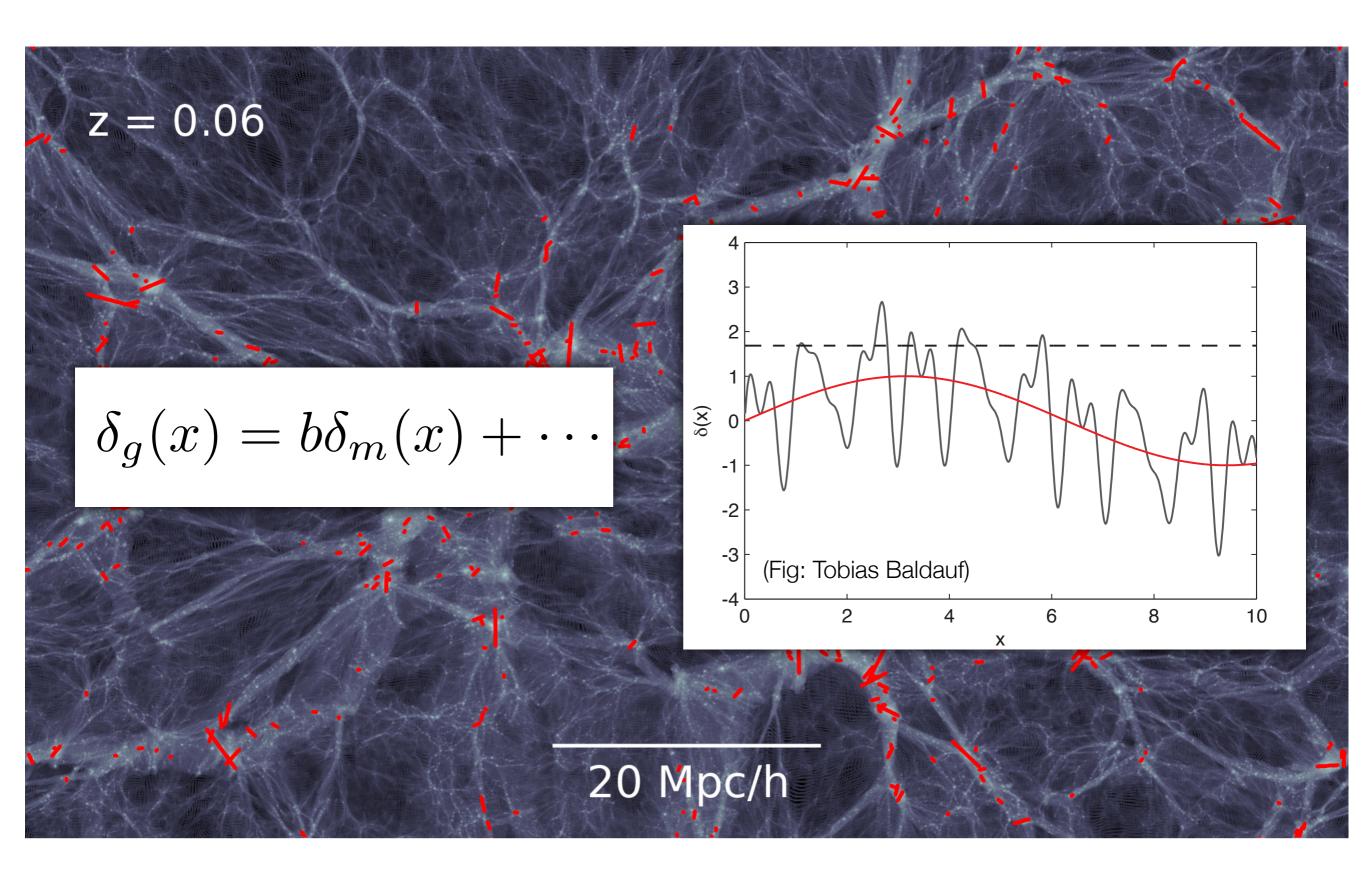


# Galaxy observables: positions and shapes ("3x2")

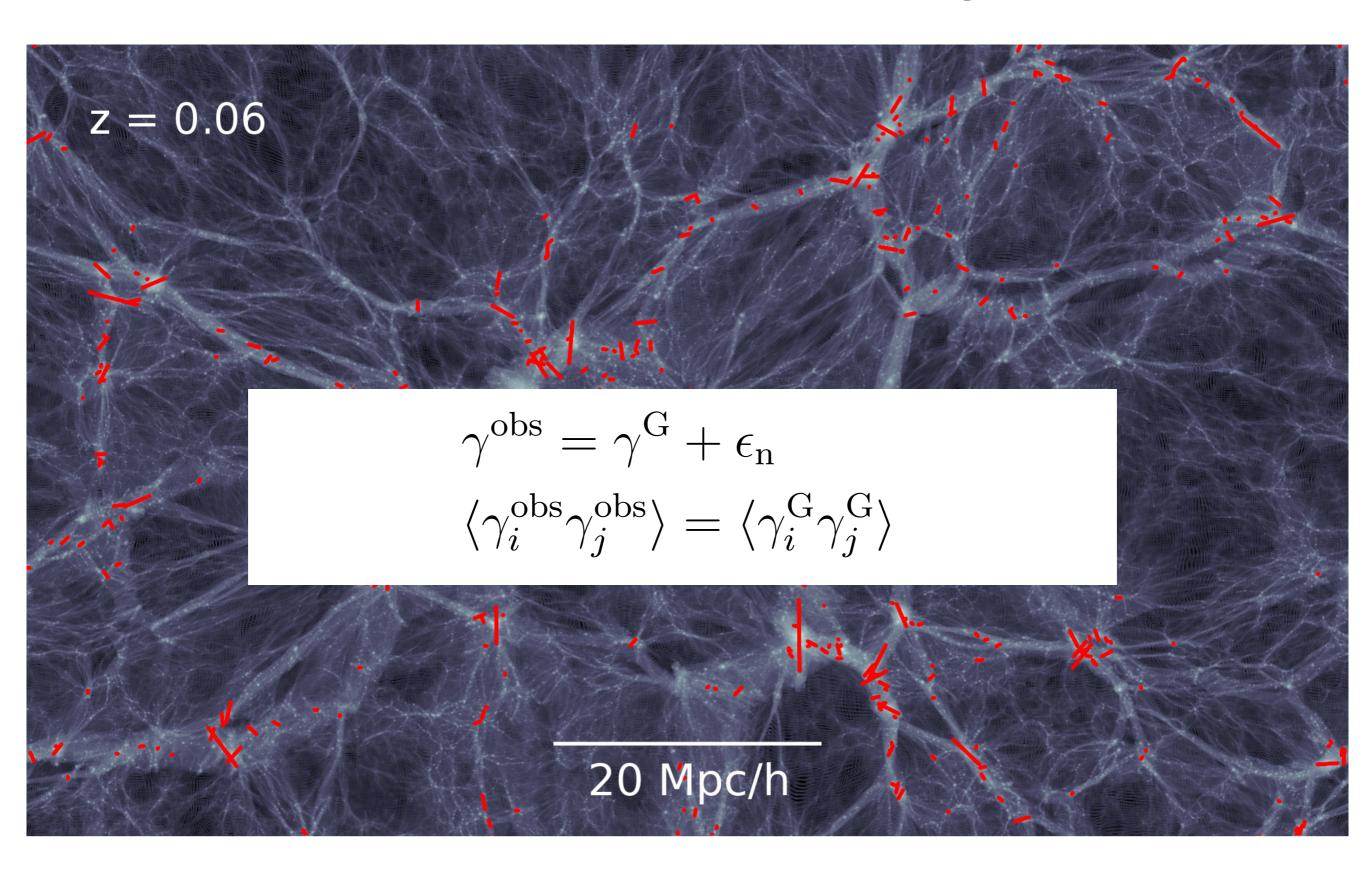


(MassiveBlack II: Khandai+ 2014; Tenneti+ 2014a,b)

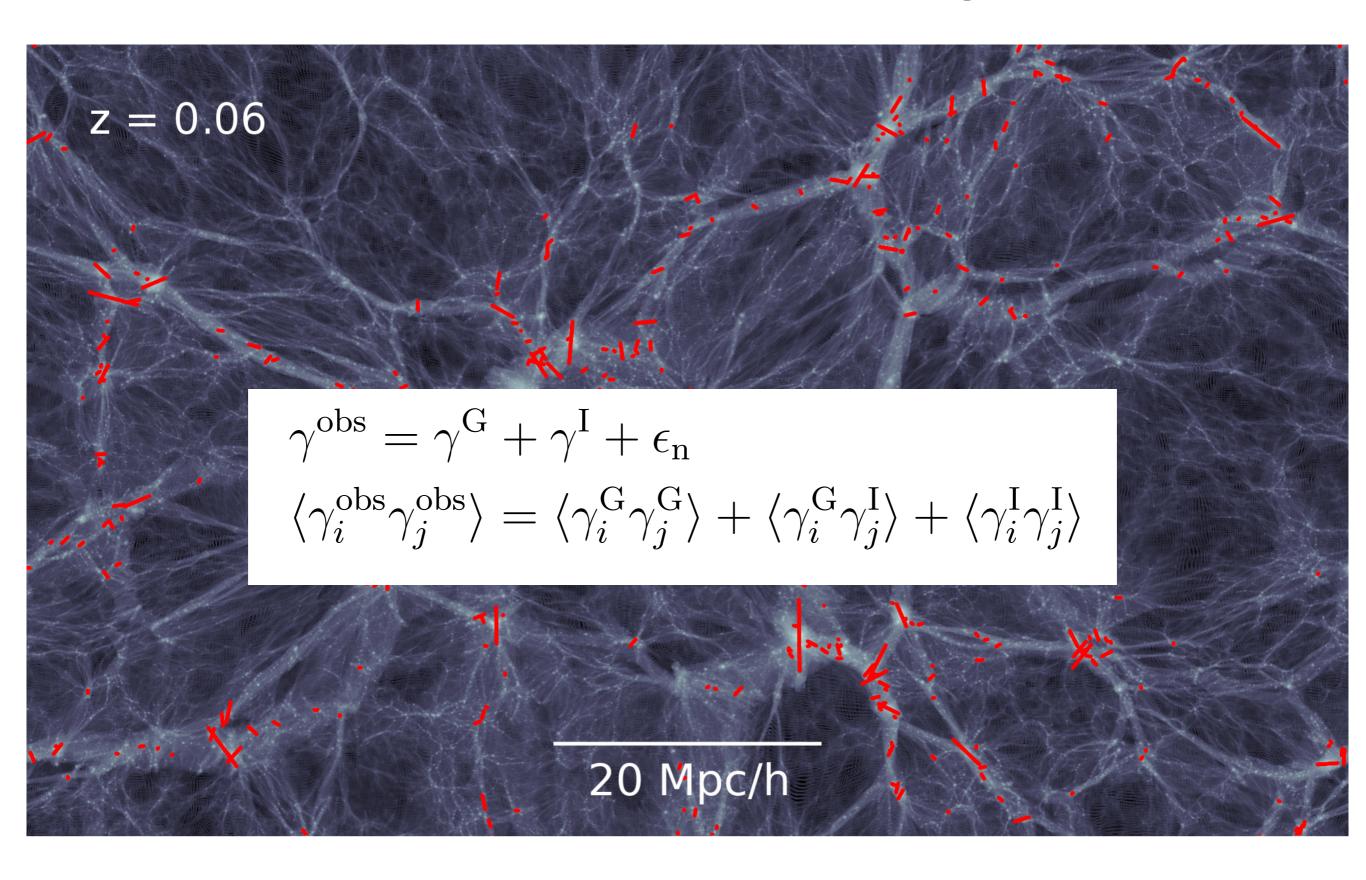
#### Galaxy positions ("bias")



#### Galaxy shapes ("intrinsic alignments")

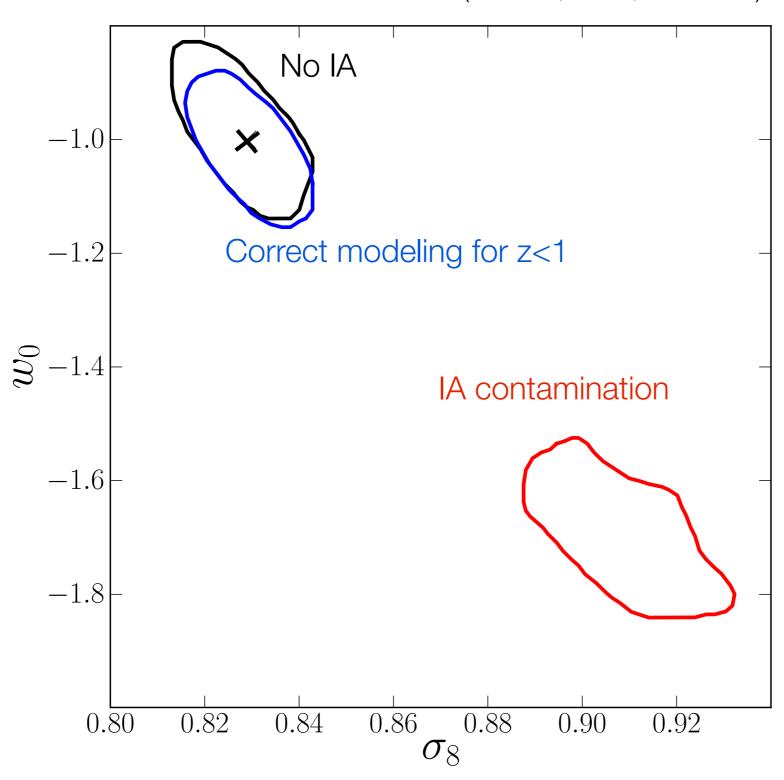


#### Galaxy shapes ("intrinsic alignments")

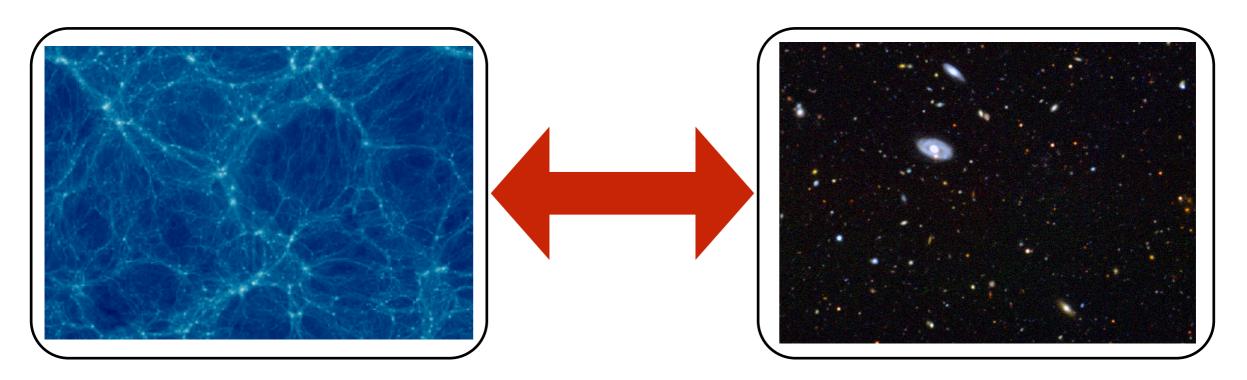


#### Galaxy shapes ("intrinsic alignments")

Euclid-like cosmic shear (Krause, Eifler, JB 2016)



#### Linear modeling

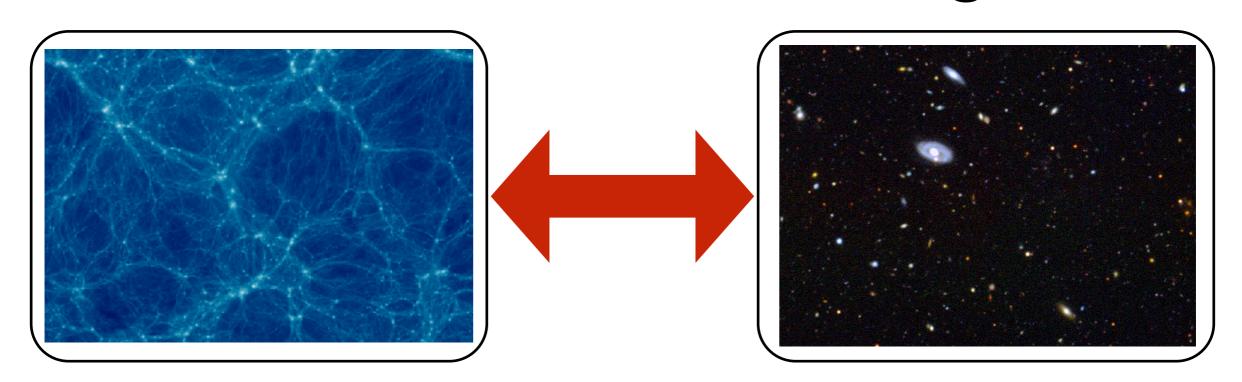


galaxy positions (biasing)

$$\delta_g(x)=b_1\delta_m(x)$$
  $\delta_g(x)=b_1\delta_m(x)$   $\delta_g(x)=b_1\delta_m(x)$ 

galaxy shapes (intrinsic alignments)

#### Nonlinear modeling



galaxy positions (biasing)

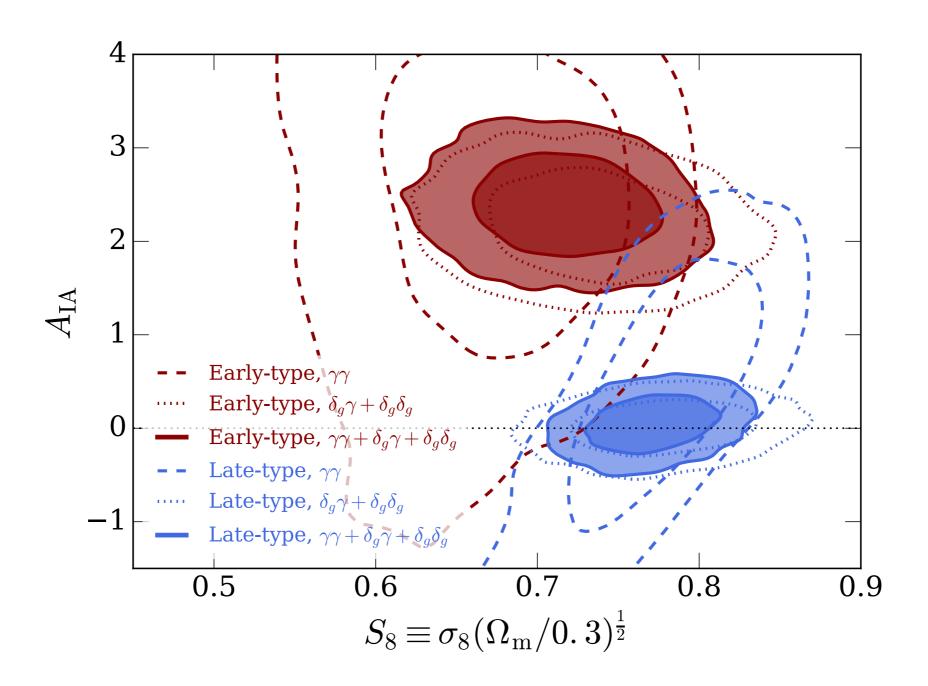
$$\delta_{g}(x) = b_{1}\delta_{m}(x) + b_{2}\delta_{m}^{2}(x) + b_{s}s^{2}(x) + \cdots$$

$$\gamma_{ij}^{I} = C_{1}s_{ij} + C_{2}(s_{ik}s_{kj}) + C_{\delta}(\delta s_{ij}) + C_{t}t_{ij} + \cdots$$

galaxy shapes (intrinsic alignments)

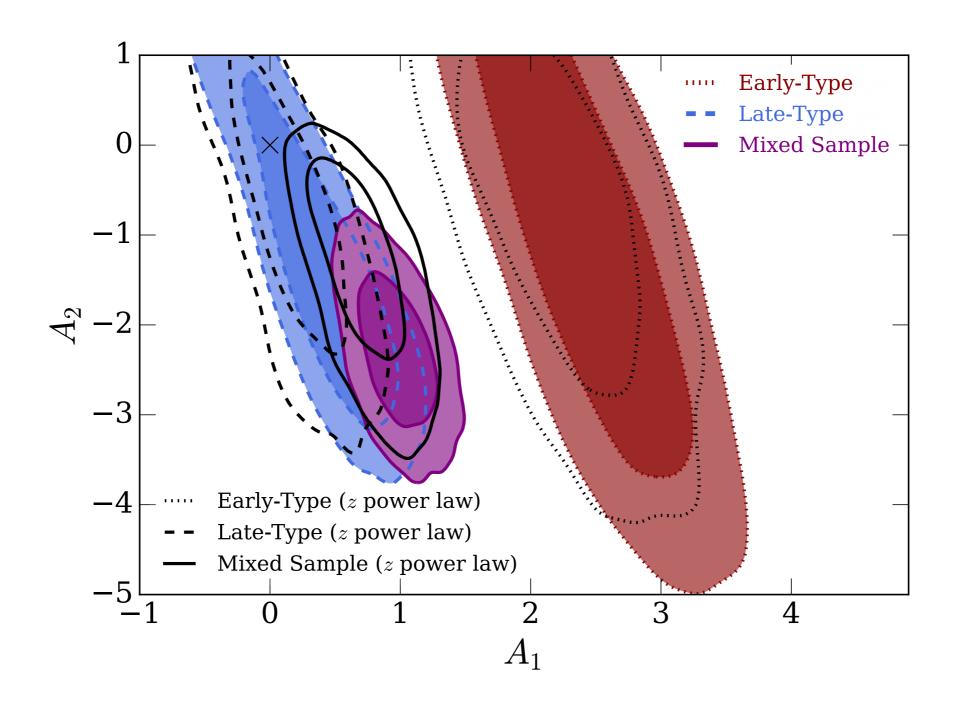
e.g. McDonald & Roy 2009, Angulo+ 2015; Blazek+ 2015, 2019, Schmitz, Hirata, JB+ 2019, Vlah+ 2020

# Galaxy alignments



JB+ 2019; Samuroff, JB+ 2019 (DES Collaboration)

# Galaxy alignments



JB+ 2019; Samuroff, JB+ 2019 (DES Collaboration)

#### Implementation

- Accurate
- Fast
- Consistent between probes/effects
- Flexible and expandable
- Shared tools with other collaborations

#### FFT methods and FAST-PT

McEwen, Fang, Hirata, JB 2016; Fang, JB, McEwen, Hirata 2017 see also: Schmittfull, Vlah, McDonald 2016; Simonovic+ 2017

FAST-PT on github: JoeMcEwen/FAST-PT

$$I(k) = \int \frac{d^{3}\mathbf{q}_{1}}{(2\pi)^{3}} K(\hat{\mathbf{q}}_{1} \cdot \hat{\mathbf{q}}_{2}, \hat{\mathbf{q}}_{1} \cdot \hat{\mathbf{k}}, \hat{\mathbf{q}}_{2} \cdot \hat{\mathbf{k}}, q_{1}, q_{2}) P(q_{1}) P(q_{2})$$

$$f(k) = \int \frac{d^{3}\mathbf{q}_{1}}{(2\pi)^{3}} \mathcal{P}_{\ell}(\hat{\mathbf{q}}_{1} \cdot \hat{\mathbf{q}}_{2}) \mathcal{P}_{\ell_{1}}(\hat{\mathbf{k}} \cdot \hat{\mathbf{q}}_{2}) \mathcal{P}_{\ell_{2}}(\hat{\mathbf{k}} \cdot \hat{\mathbf{q}}_{1}) q_{1}^{\alpha} q_{2}^{\beta} P(q_{1}) P(q_{2})$$

$$J_{J_{1}J_{2}}^{\alpha\beta}(r) \equiv \left[ \int_{0}^{\infty} dq_{1} \ q_{1}^{2+\alpha} P(q_{1}) j_{J_{1}}(q_{1}r) \right] \left[ \int_{0}^{\infty} dq_{2} \ q_{2}^{2+\beta} P(q_{2}) j_{J_{2}}(q_{2}r) \right]$$

For 1-loop calculations: 1000 k values in ~0.1s

(e.g. FFTLog: Talman 1978, Hamilton 2000)

#### FAST-PT as a PT engine

- galaxy biasing (SPT, LPT), intrinsic alignments
- nonlinear structure growth, BAO evolution
- redshift-space distortions
- streaming baryon velocities
- ... your modeling needs? ...
- python and C versions
- incorporated into CosmoSIS, CosmoLike, CCL
- Euclid tools through IST:Nonlinear
- FAST-PT github: JoeMcEwen/FAST-PT
- \$ pip install fast-pt
- Core Cosmology Library github: LSSTDESC/CCL

#### Summary

- Astrophysical effects including intrinsic
   alignments and galaxy bias must be understood
   for future cosmology analyses.
- Effective perturbative expansions provide a valuable modeling tool. Implementation for Euclid in progress - let's talk!
- Simulation and measurement efforts also critical.
- We can use these "systematics" to probe underlying astrophysics and fundamental physics.