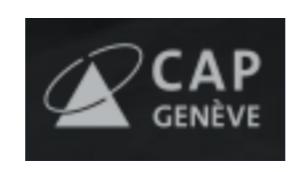
A new estimator for weak lensing based on IM-Galaxy cross correlation

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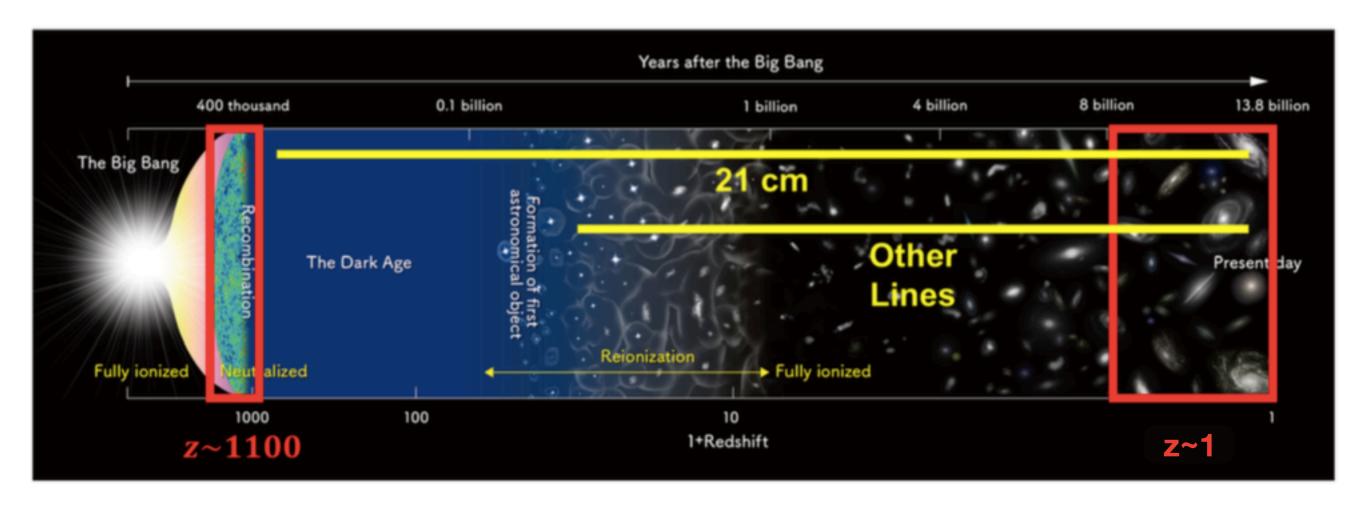
> Swiss SKA Days University of Bern June 20, 2019





Motivation

- Future 21cm surveys will probe high redshifts
- Complementary to the CMB and galaxy surveys
- Test our models in a wider range of distances
- Weak lensing: probe of matter distribution and sensitive to the dynamics of the universe



Introduction to weak lensing of galaxies and intensity mapping

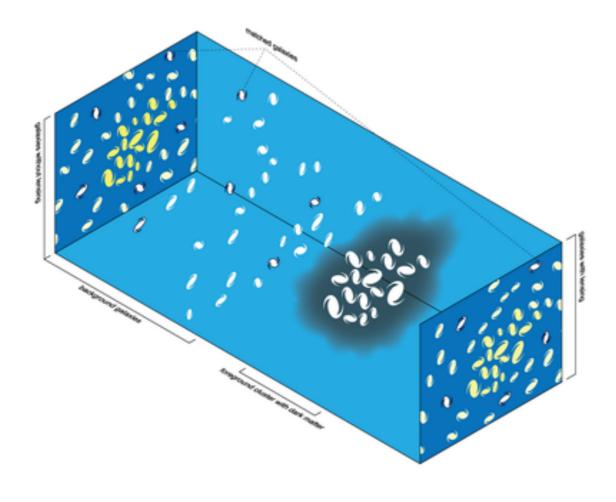
Lensing effect on observed galaxies

Shape correlation (cosmic shear)

Number density of galaxies

Needs precise shape measurements

$$\Delta^{galaxy}(\hat{n},z) = b(z)\delta(\hat{n},z) + (2-5s)\nabla^2\phi$$
 magnification bias



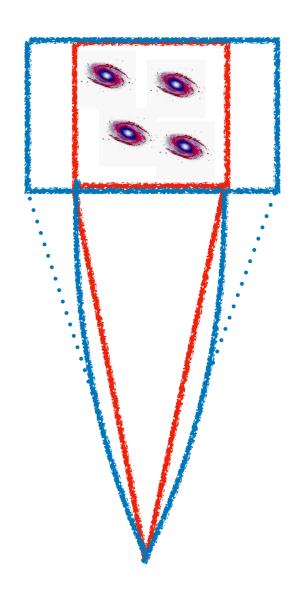


Diagram credit: Michael Sachs

Lensing effect on intensity mapping

Lensing conserves surface brightness

$$\frac{dB}{d\Omega}[W/m^2d\Omega]$$

$$\Delta^{IM}(\hat{n},z) = b(z)\delta(\hat{n},z)$$

No first order lensing term added to IM

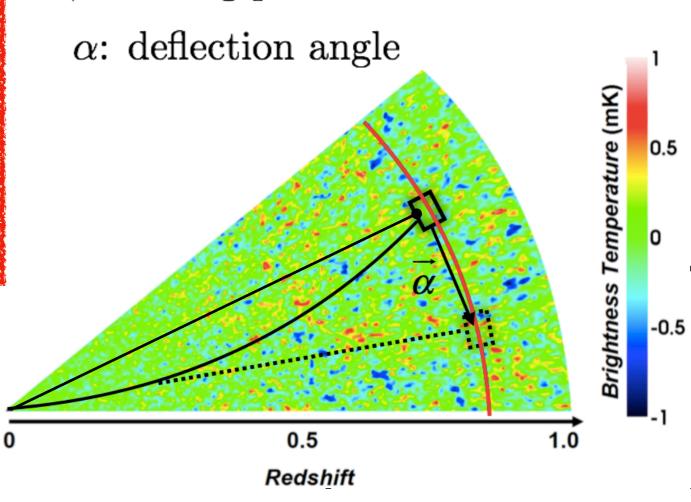
Remapping of temperature fluctuations

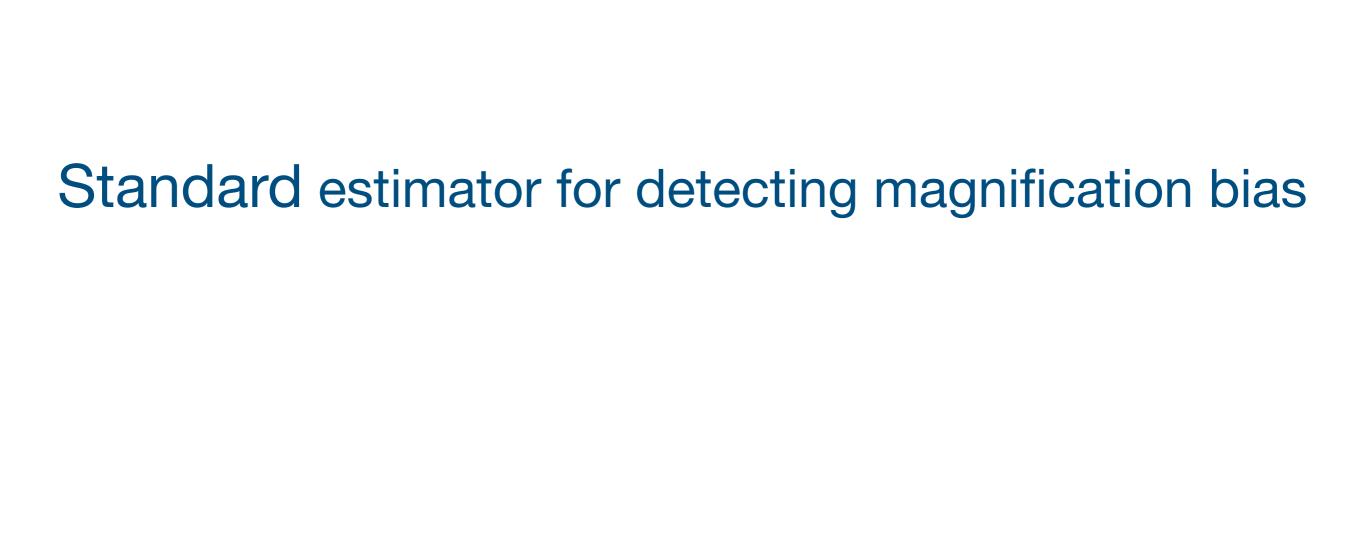
Second and higher order lensing terms

$$\Delta^{HI}(\hat{n}) \to \Delta^{HI}(\hat{n} + \nabla \phi)$$

 $\vec{\alpha} = \nabla \phi$

 ϕ : lensing potential





Standard estimator: galaxy-galaxy cross correlation

$$\Delta^{galaxy}(\hat{n},z) = b(z)\delta(\hat{n},z) + (2-5s)\nabla^2\phi$$

Contamination from density term

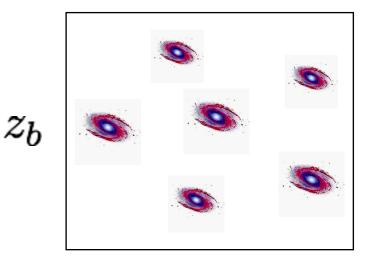
$$E_{\ell}^{\text{st}} = C_{\ell}^{g,g}(z_b, z_f)$$

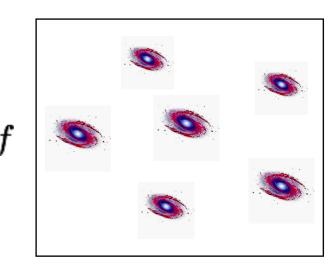
$$= b_g(z_b)b_g(z_f)C_{\ell}^{\delta\delta}(z_b, z_f)$$

$$+ \frac{1}{2}b_g(z_f)(2 - 5s(z_b))C_{\ell}^{\phi\delta}(z_b, z_f)$$

$$+ \frac{1}{2}b_g(z_b)(2 - 5s(z_f))C_{\ell}^{\delta\phi}(z_b, z_f)$$

$$+ \frac{1}{4}(2 - 5s(z_b))(2 - 5s(z_f))C_{\ell}^{\phi\phi}(z_b, z_f)$$





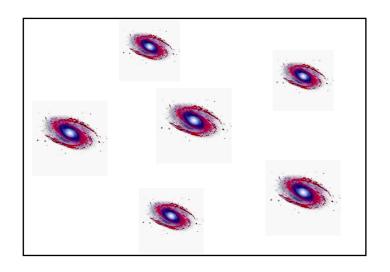


Lensing terms

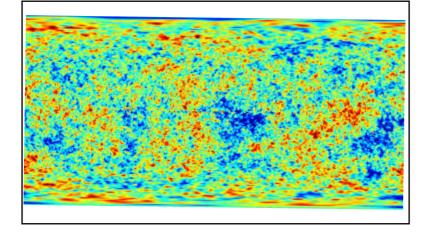
Introduction to the new estimator

Idea of new estimator

 z_b

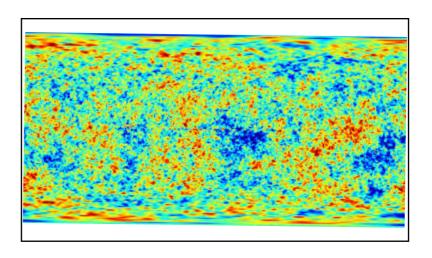


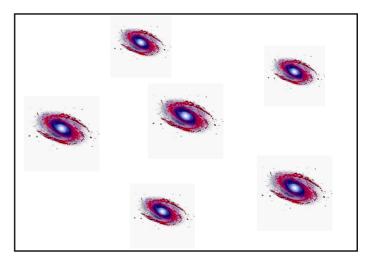
 z_f



$$C_\ell^{
m IM-g}(z_f,z_b)$$

density + lensing term



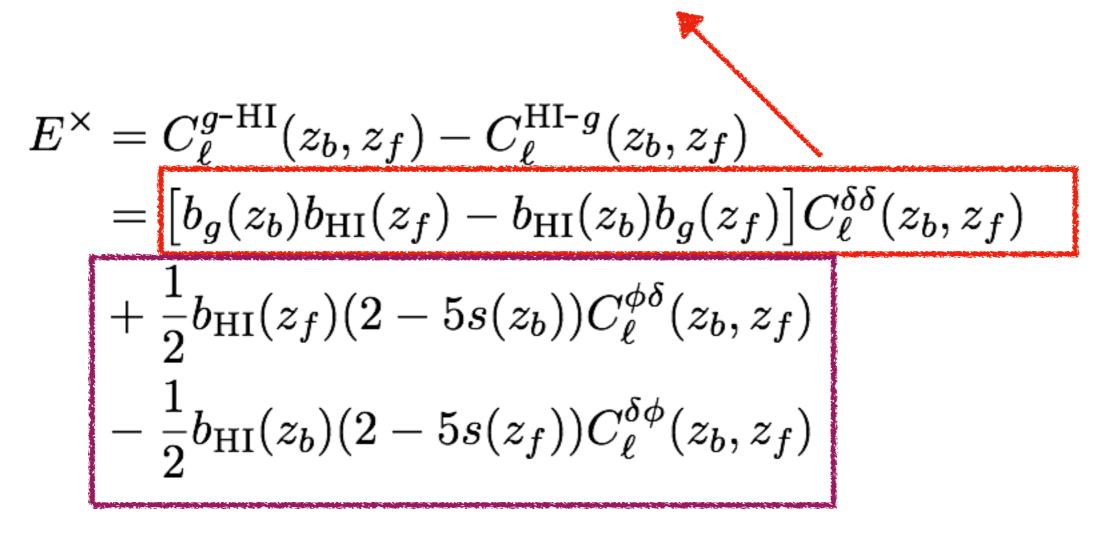


$$C_\ell^{\mathrm{g-IM}}(z_f,z_b)$$

density

New estimator: E^{\times}

Contamination: reduced by a factor proportional to bias difference

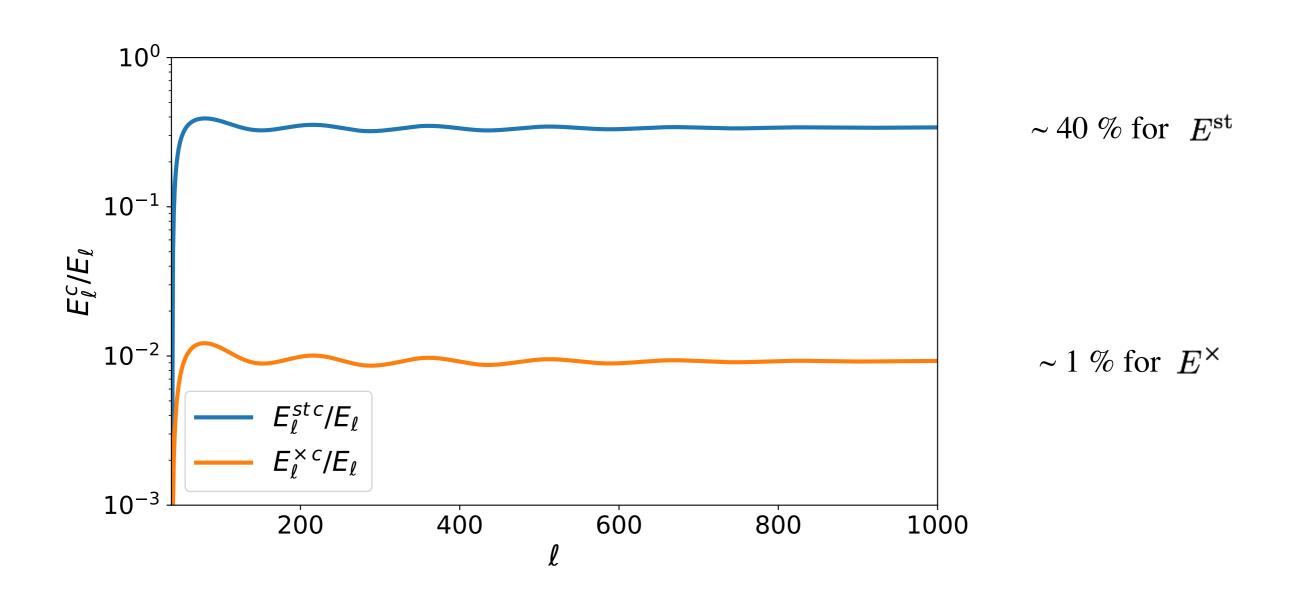




Lensing terms

Contamination

DESxHIRAX
$$z_b = 1.25$$
 $z_f = 1.0$



Variance

$$V(\hat{E}^{\text{st}}) = \frac{1}{(2\ell+1)f_{sky}} \left[C_{\ell}^{g-g}(z_f) C_{\ell}^{g-g}(z_b) + C_{\ell}^{g-g}(z_f, z_b)^2 \right]$$

$$V(\hat{E}^{\times}) = \frac{1}{(2\ell+1)f_{sky}} \left[C^{\text{HI-HI}}(z_f)C^{\text{g-g}}(z_b) + C^{\text{HI-HI}}(z_b)C^{\text{g-g}}(z_f) - 2C^{\text{HI-g}}(z_f)C^{\text{HI-g}}(z_b) + 2C^{\text{g-g}}(z_f, z_b)C^{\text{HI-HI}}(z_f, z_b) + C^{\text{HI-g}}(z_f, z_b)^2 + C^{\text{g-HI}}(z_f, z_b)^2 \right]$$

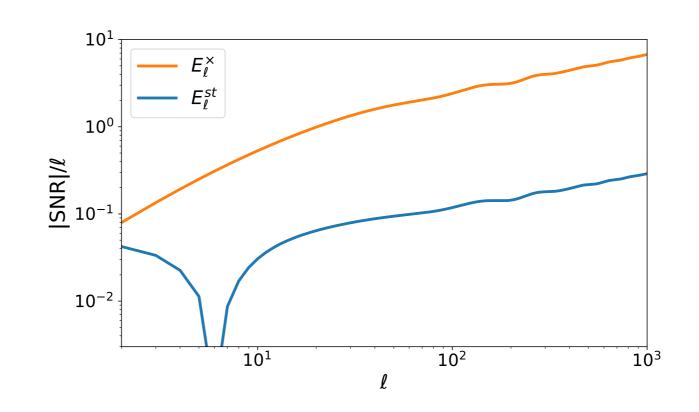
$$\left[b_g(z_b)b_{
m HI}(z_f)-b_{
m HI}(z_b)b_g(z_f)
ight]^2 C_\ell^{\delta\delta}(z_b)C_\ell^{\delta\delta}(z_f)$$

Cosmic variance limited

$$\mathrm{SNR}^{\mathrm{total}} = \sqrt{\sum_{\ell} (\mathrm{SNR}_{\ell})^2}$$

$$E^{\times} \sim 357$$

$$E^{\rm st} \sim 15$$

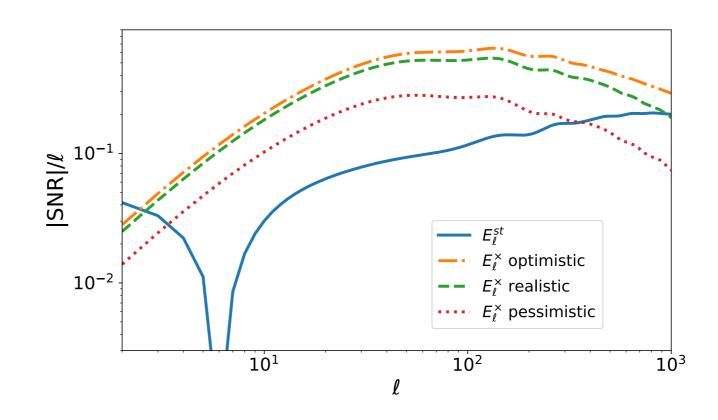


Shot noise + thermal noise

Optimistic case

$$E^{\times} \sim 11$$

$$E^{\rm st} \sim 8$$



Fisher forecast

DESxHIRAX

$$z = [0.8, 1.3]$$

DES

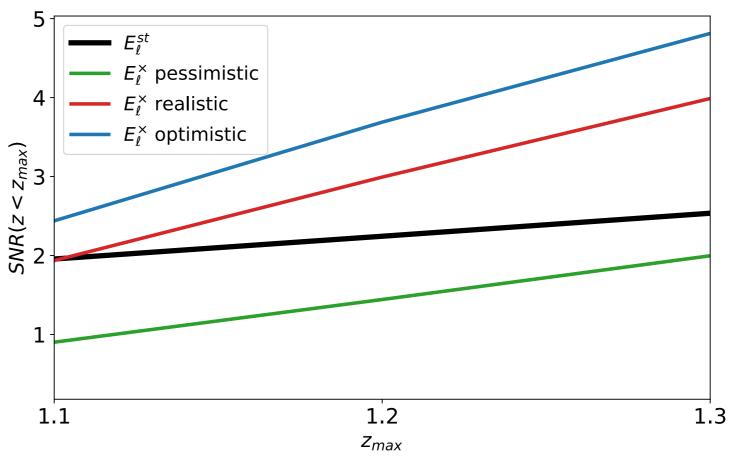
$$z = [0.2, 1.3]$$

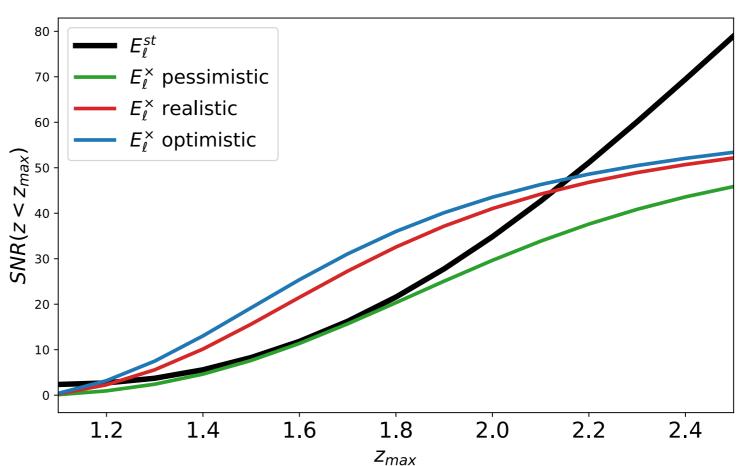
EuclidxHIRAX

$$z = [0.8, 2.5]$$

Euclid

$$z = [0.2, 2.5]$$



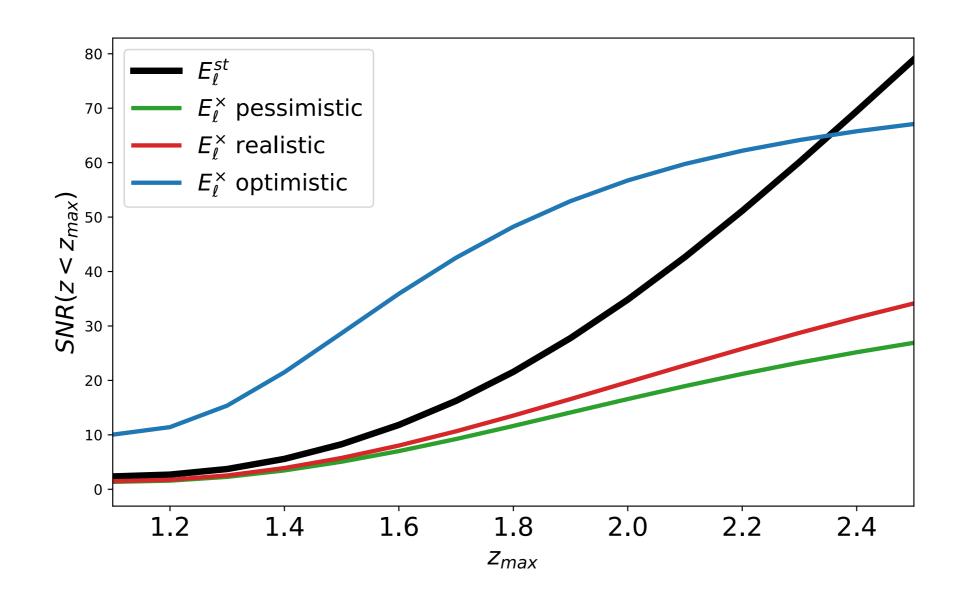


EuclidxSKAMID

 $z \in [0.35, 2.5]$

SKA phase1 looks at redshift after reionization SKA1-MID probes $z \in [0.35, 3]$

In optimistic case: EuclidxSKA improves magnificently In realistic and pessimistic case: we are killed by thermal noise



Conclusion

- The new estimator we introduce reduces contamination and allows closer bins to be used for signal detection
- It increases signal-to-noise ratio by a factor of \sim 3 in the redshift range of z=1.4 to z=2 for EucildxHIRAX
- Reduces systematics since it's built up by the cross correlation of data from two different surveys

