

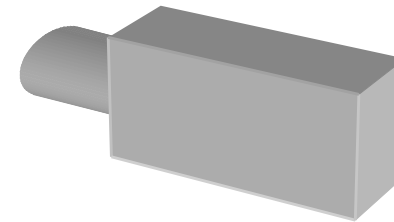
Robust Visual Golf Club Tracking

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Aim



1.5 sec



- Completely automatic video based system.
 - No user intervention.
 - Use of a single video (PAL) camera.
 - No external expensive devices.
 - No specifically instrumented golf clubs or clothing.
- Usable in natural environments
 - Cluttered (fixed) background

Club: thin, specular reflexion, moves very fast (up to 170km/h).



t



$t + \frac{1}{25} \text{ sec}$

- Club extraction
- Tracking algorithm with
 - local motion model
 - global motion model

Dealing with interlaced images

- For each frame:

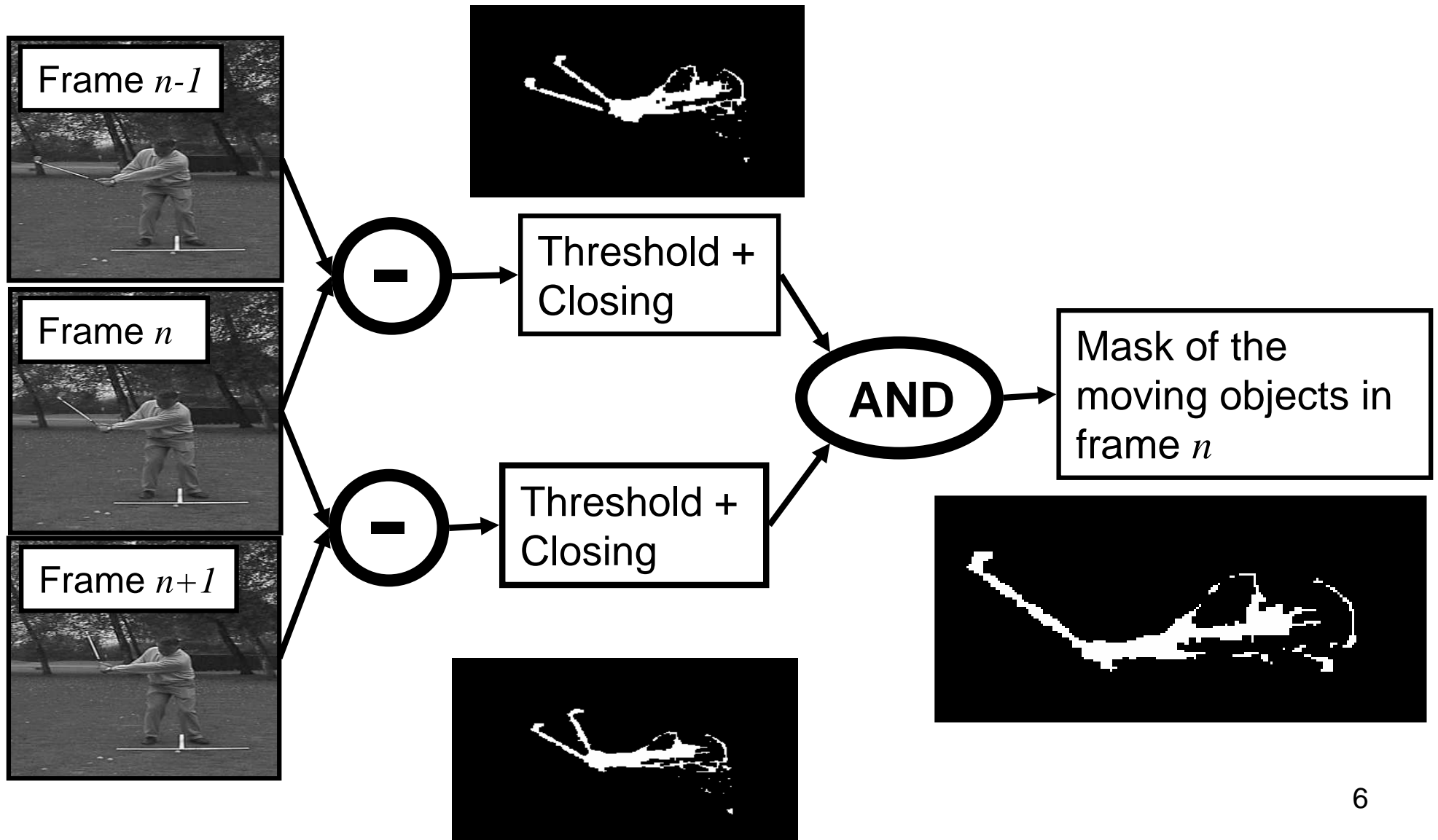


2 « half-images » from an interlaced image



50 « half-images » per second

Detection of moving objects



Hypothesis generation

Detection of adjacent parallel segments under the moving-object mask

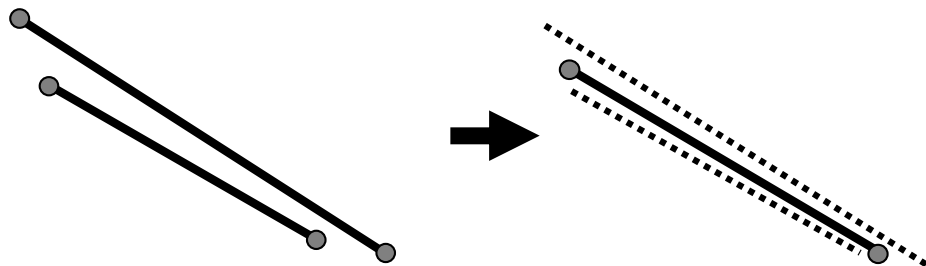
1. Edges detection



2. Segment detection (contour extraction, polygonal approximation)



3. Parallel segment detection and fusion



Hypothesis generation

Some results of the parallel segments detection



Hypothesis generation

- The resulting segment is only a part of the shaft
Search for the shaft end-points



- Looking for the club head in the moving-object mask (as the last white point)

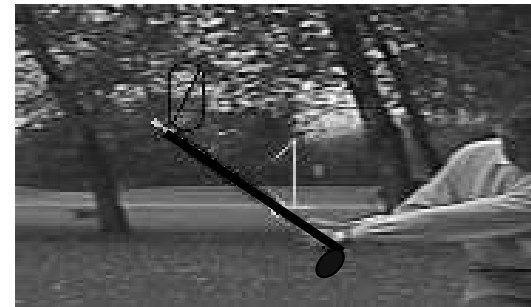
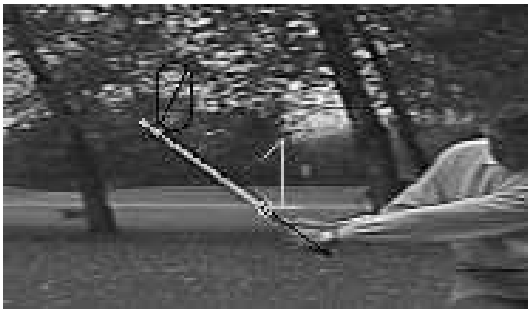


- Looking for the “hands” in the color image

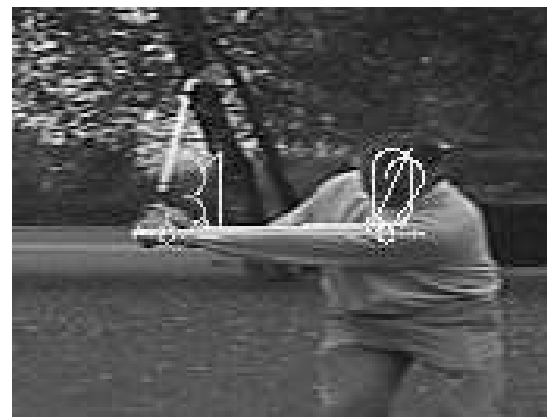
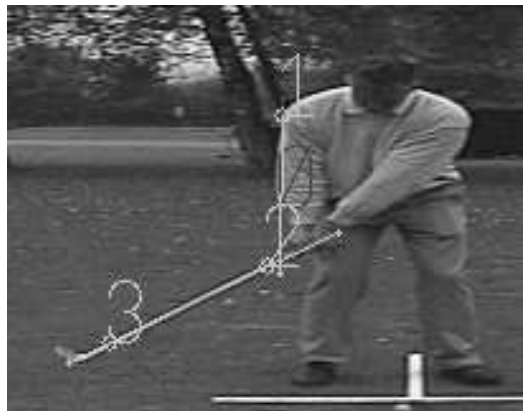


Hypothesis generation

- Results
 - In this example, two hypothesis:

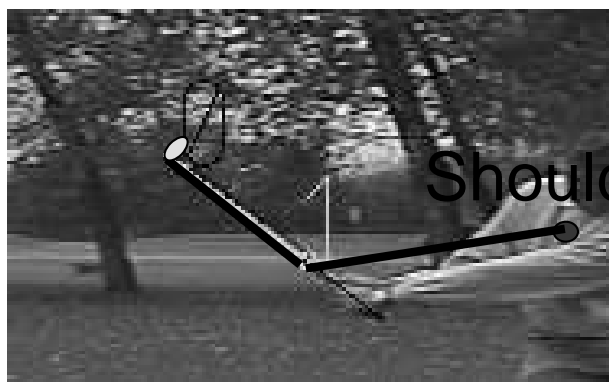


- Others results:

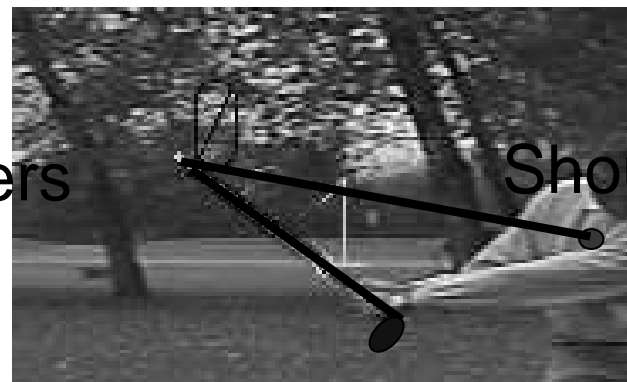


Hypothesis generation

- Heuristics for removing some hypotheses
 - Given a 2D point somewhere between the golfer shoulders, we can remove some physically impossible hypotheses



Possible

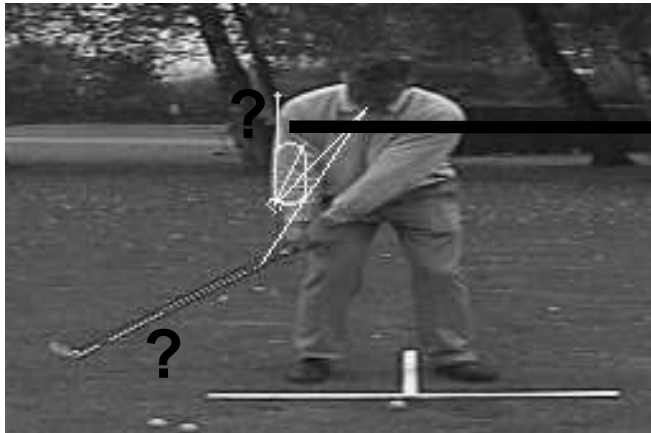


Impossible

- No accurate position for this point needed
- Can be easily provided by the user

Why we still need a tracking algorithm ?

- Some wrong hypotheses can not be removed:

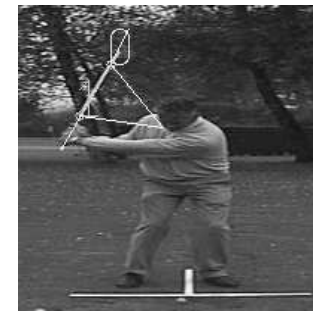


Tracking

- Many visual tracking techniques have been proposed in the computer vision literature.
 - Data Association approaches (MHT)
 - ConDensation
 - Based on recursive motion models: $X_{t+1} = f(X_t)$
 - Difficult to consider a specific motion such as a golf swing.
 - Suffer from a lack of robustness for practical applications when:
 - Frequent mis-detections
 - Large acceleration
 - Abrupt motion changes

New tracking algorithm

- Idea:
 - Take into account previous frames + next frames
 - Consider the detections in these frames to locally estimate the club shaft motion

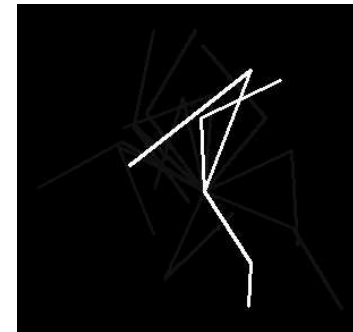
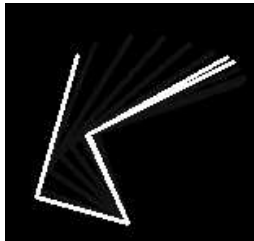


New algorithm

MLESAC applied to tracking:

- Choose randomly 3 frames (in the previous and next frames)
- Choose randomly one detection in these frames
- Compute the shaft motion assuming a locally constant acceleration
- Estimate the shaft position in the previous and next frames

Several examples:



- Compute the support of the predicted motion *i.e.* the number of frames where there is a detection near the predicted position
- Repeat and keep the shaft motion with the maximum likelihood

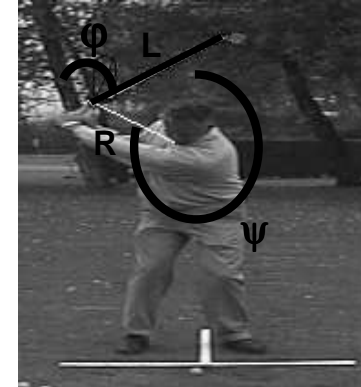
Deals easily with mis-detections and false-alarms

Robust motion estimation

Motion estimation

- **Parametrisation** of the shaft (double-pendulum model):

$$\mathbf{s} = [\text{Shoulders}, L, R, \Psi, \phi]$$



- **Estimation**

- From the three randomly selected shafts $\mathbf{s}_i, \mathbf{s}_j, \mathbf{s}_k$,
- assuming a constant acceleration for all the parameters,
 - we can predict the position, velocity and acceleration of the shaft

$\mathbf{s}_0 = [\text{Shoulders}_0, L_0, R_0, \Psi_0, \phi_0]$ in the current frame:

$$A = \begin{bmatrix} 1. & i & \frac{i(i-1)}{2} \\ 1. & j & \frac{j(j-1)}{2} \\ 1. & k & \frac{k(k-1)}{2} \end{bmatrix} \quad \begin{bmatrix} \Psi_0 \\ \dot{\Psi}_0 \\ \ddot{\Psi}_0 \end{bmatrix} = A^{-1} \begin{bmatrix} \Psi_i \\ \Psi_j \\ \Psi_k \end{bmatrix}$$

- we can also predict the position in the other frames:

$$\Psi_n = \Psi_0 + n\dot{\Psi}_0 + \frac{n(n-1)}{2} \ddot{\Psi}_0$$

...



Maximum Likelihood Estimation

- M_t motion at time t
- $Z_t = \{z_{t-n_B} \dots z_{t+n_A}\}$ detection sets for frames $t-n_B$ to $t+n_A$

$$M_t = \arg \max_M p(Z_t | M) \delta(M)$$

- Random sampling: $\tilde{M} = \arg \max_{M_S} p(Z_t | M_S) \delta(M_S)$

is an initial estimate of M_t , and refined using all the correct detections

$$p(Z_t | M_S) = \prod_{i=n_B}^{+n_A} \underbrace{p(\mathbf{z}_{t+i} | y_{t+i,S})}_{\text{Classical observation model}}$$

Advantages

- The shaft position can be estimated when it is not detected, with very good accuracy:



- Using the next frames makes the tracker:
 - More robust
 - More accurate
 - **Almost Automatic!**

Other results *same parameters*



Making the tracker more robust

- Using a global motion model

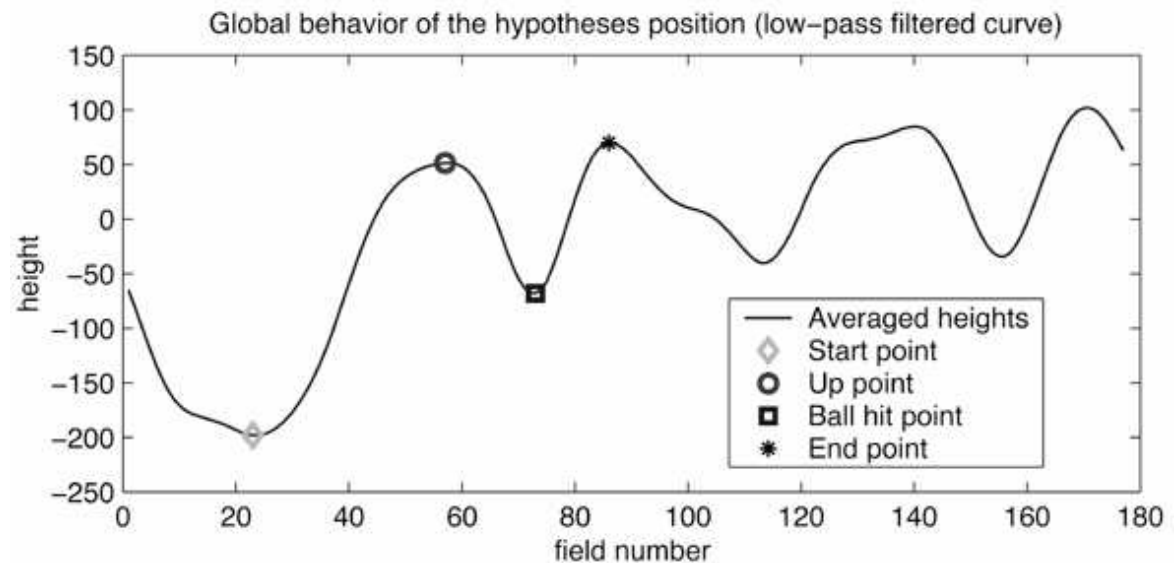
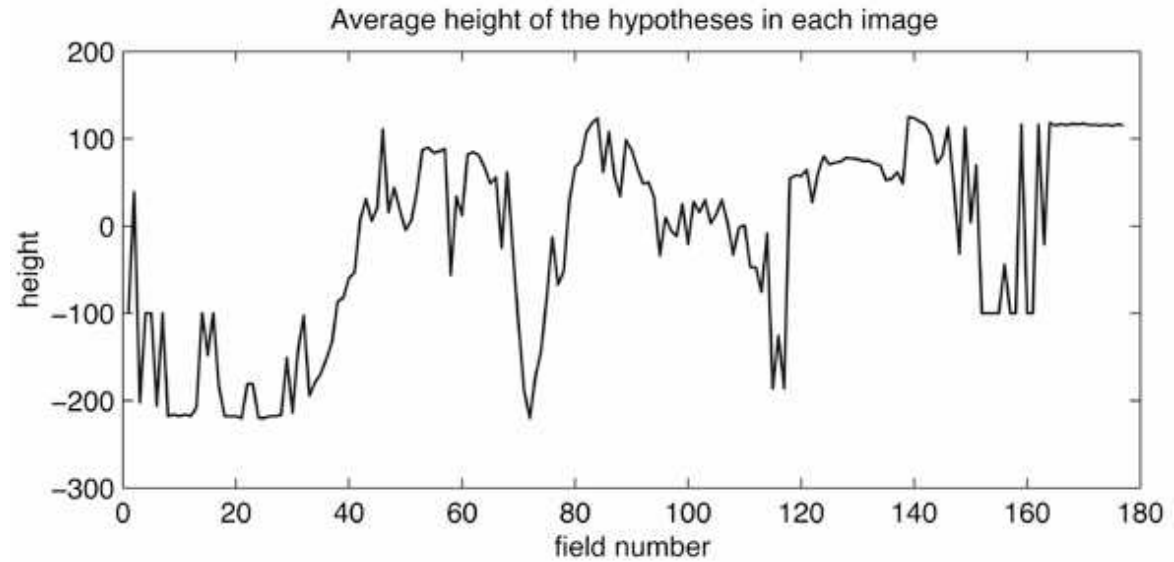
Temporal Segmentation of the Sequence



upswing



downswing

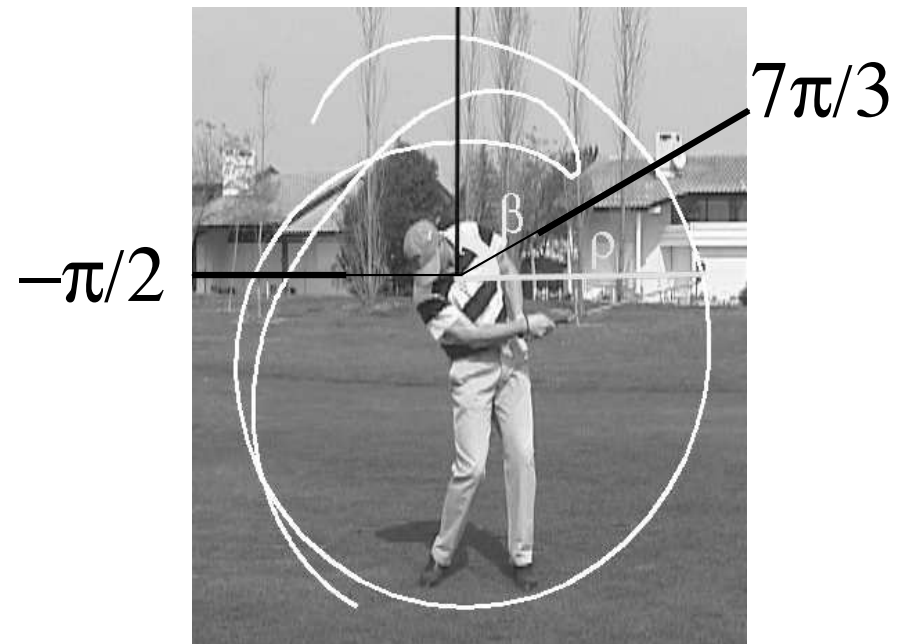
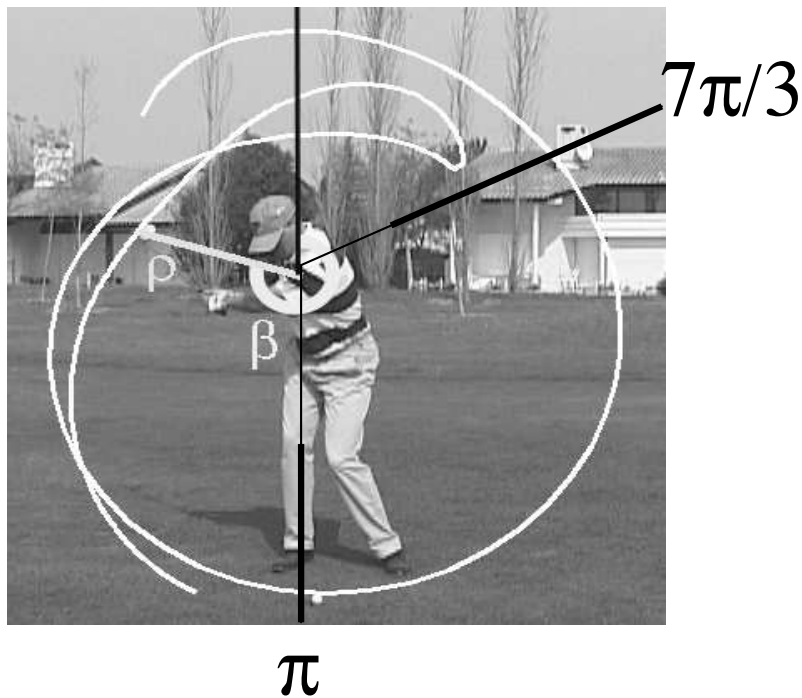


Trajectory Estimation

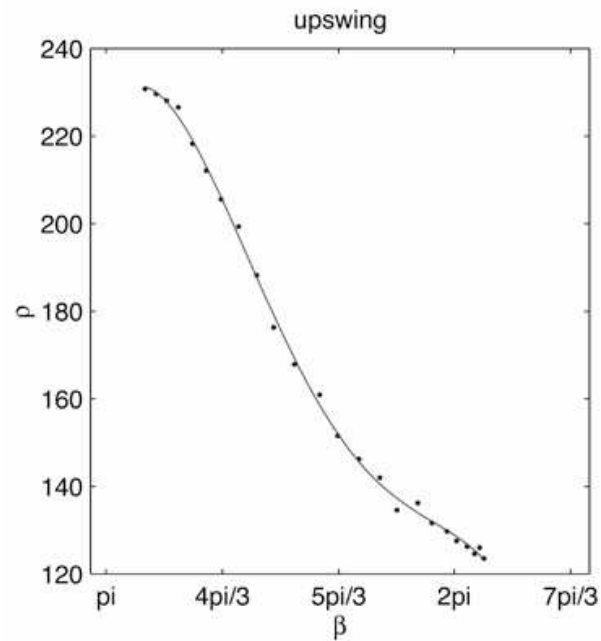
– upswing

– downswing

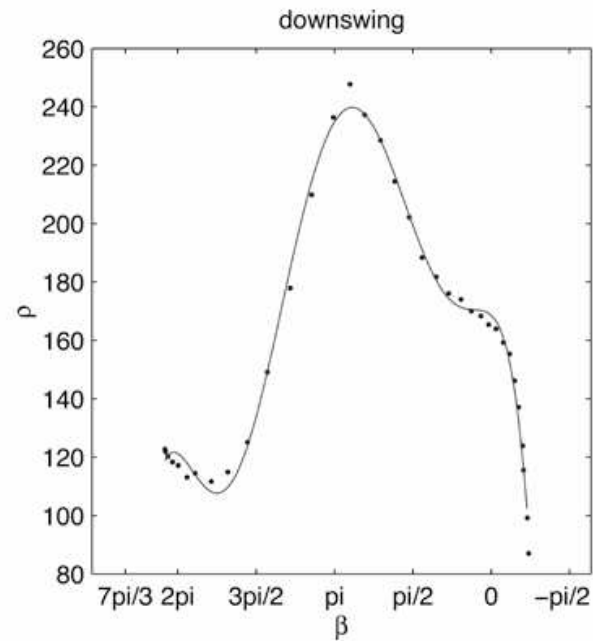
expressed in polar coordinates system



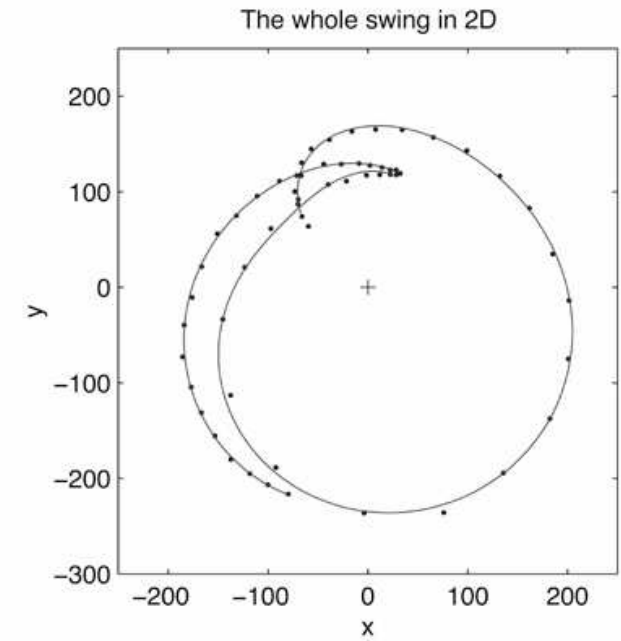
Simple polynomial functions of rather small degrees



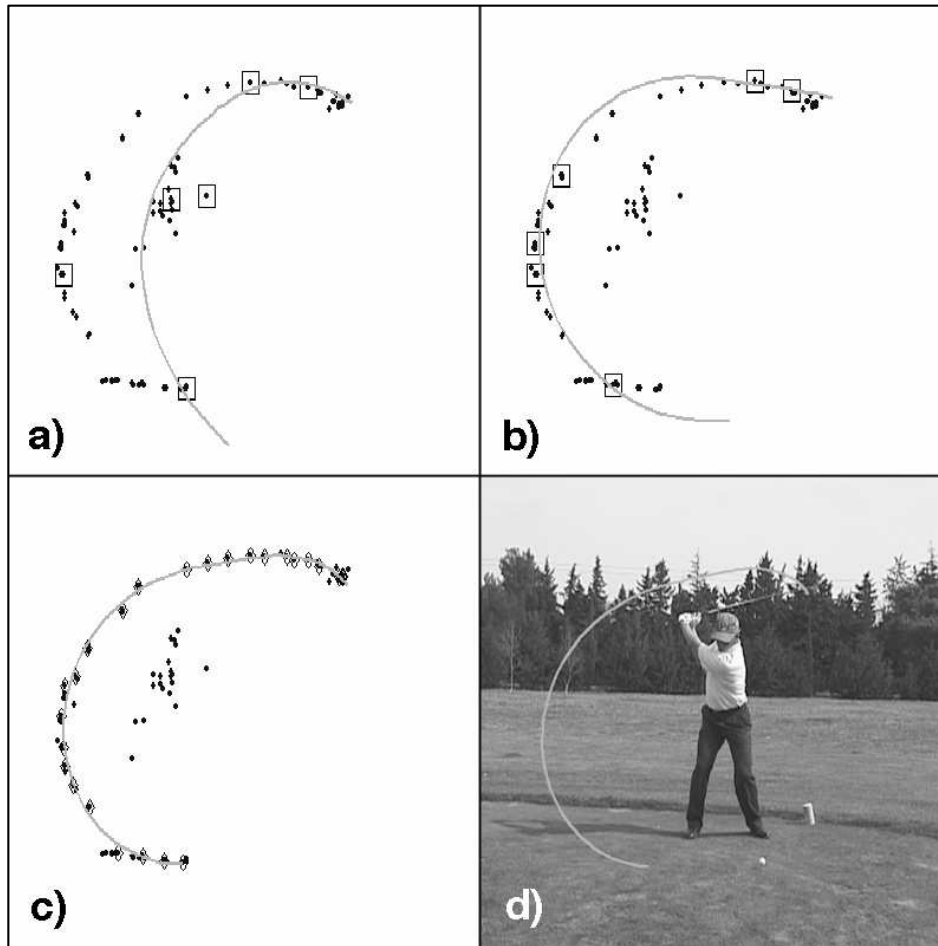
Upswing
deg. 4 polynomial



Downswing
deg. 6 polynomial



imation



Same algorithm than before, with a global motion model

- Robust estimation (b)
- Refinement using the complete support (c)

Experimental results



Further Research

- Define a better global motion model (PCA ?)
- Analysis of the motion parameters
- Tracking of the golfer body